

# مادة الرياضيات (السنة الأولى من التعليم المتوسط)

## المطلعات

⋮

-

-

-

⋮

⋮  
⋮  
⋮

⋮

.1 :

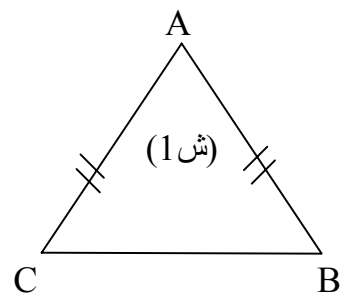
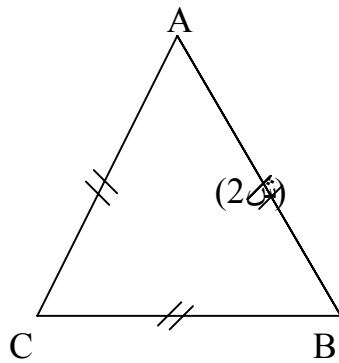
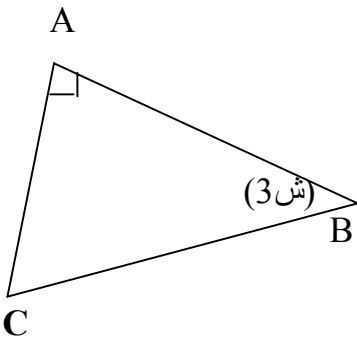
⋮

.2 :

⋮

.3 :

:



( )

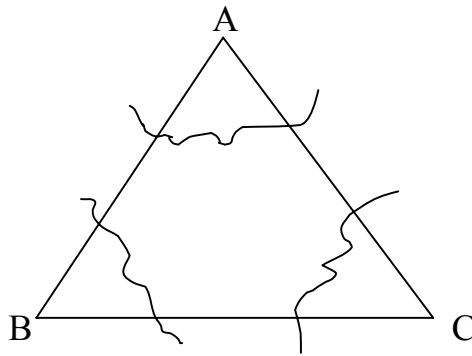


(4)

ABC

-1

(5 )

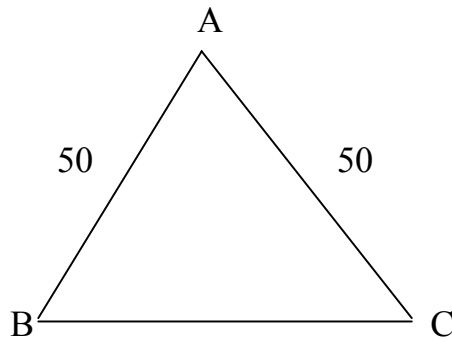


(5 )

ABC:

-2

BC=40mm ; AB=50mm ; AC=50mm(6 )

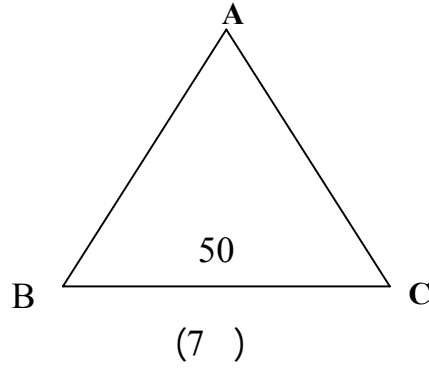


(6 )

( )

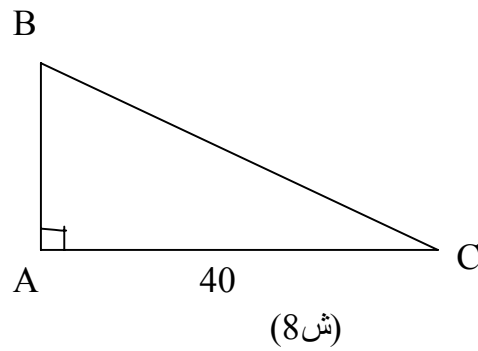
ABC : -3

BC=50mm (7 )



-4

$\hat{A} = 90^\circ$ ; AB=40mm ; AC=60mm (8 )



خواص المثلث المتساوي الساقين

BC=50mm ; AB =AC=60mm

ABC

-

[Ay

( . ) [AC ]

[AB ]

$\hat{BAC}$

( )

:  $\hat{C}$  ;  $\hat{B}$  و الذي يستلزم

[YC] ; [ YB

(1  
تطابق

$$\hat{A}yC = \hat{A}yB \quad \hat{A}yB ; \hat{A}yC$$

[Ay

(2

.ABC

[BC]

:

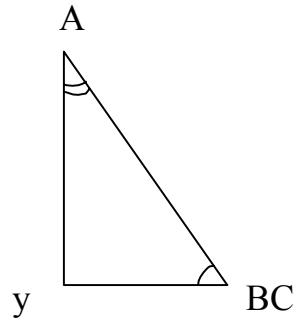
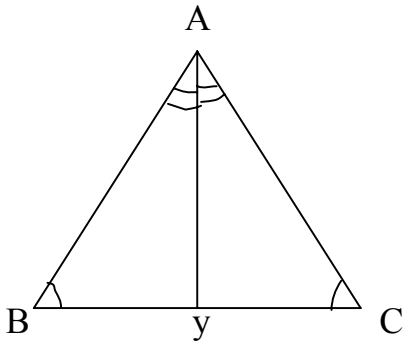
.AB=AC : ABC

-1

.[BC]

B AC :

-2



(ش9)



-1

$\hat{\phantom{A}} \quad \hat{\phantom{B}} \quad .6\text{cm} \quad [\text{BC}] \quad -2$   
 $\text{CBx}=60^\circ ; \text{BCy}=30^\circ$

$\hat{\phantom{A}} \quad \text{A} \quad [ \text{Bx} ; [\text{Cy}$   
 $\text{.BAC}$

.ABC

$\text{AB}=5\text{cm} \quad [\text{AB}] \quad -3$

.C  $[ \text{Bx} ; [\text{By}$   $\hat{\phantom{A}} \quad \hat{\phantom{B}} \quad \text{.ABx}=\text{BAy}=70^\circ$

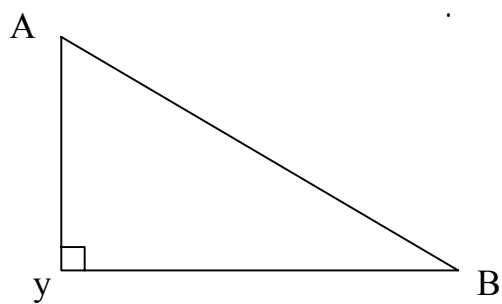
ABC  $[\text{AB}] ; [\text{AC}]$



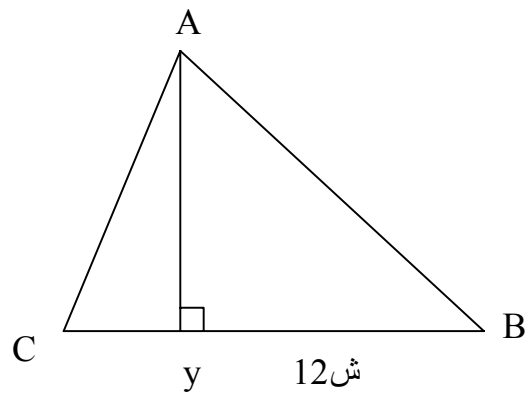
: -1

:

$[\text{Ay}] \quad [\text{BC}] \quad 12 \quad 11 :$

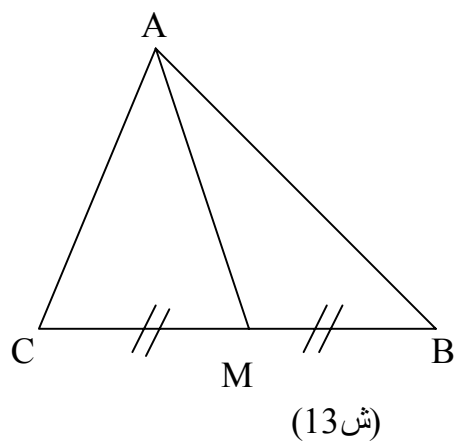


(ش 11)



-2

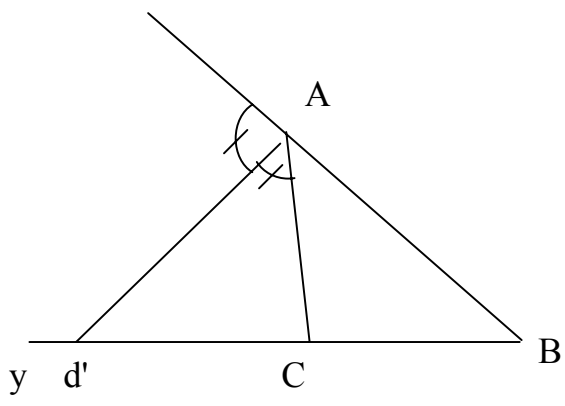
( 13 )



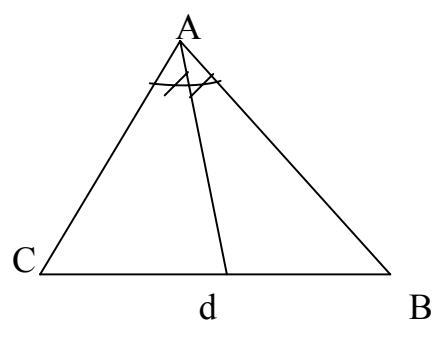
:  -3

:

.(14,15) :



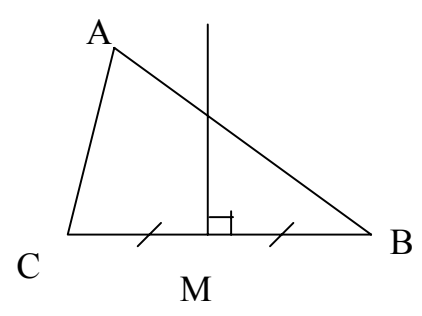
(ش15)



(ش14)

.(16 )

:



(ش16)

( )



(xy)

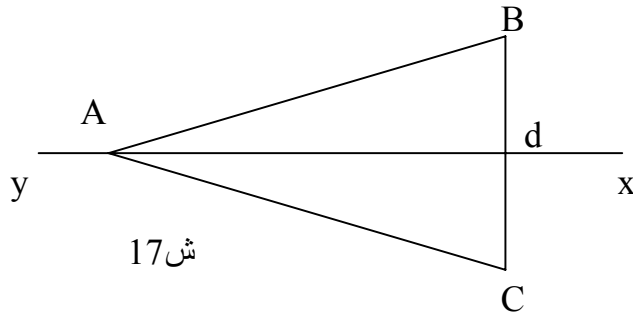
B,C

.A

(xy)

(

.(17)



-1

ABC

-2

-3

[Ad]

-4

A'B'C'

[AC]

[AB] :

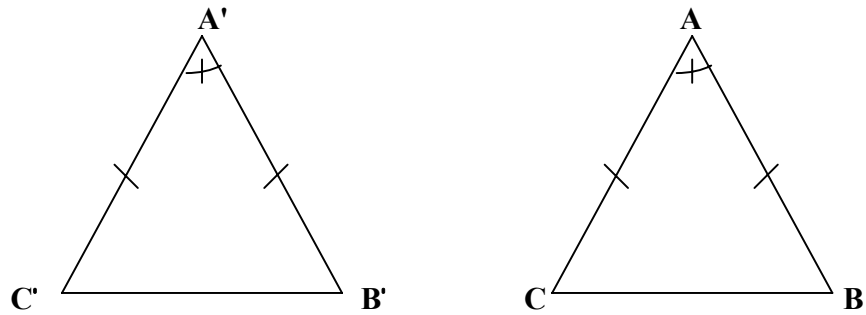
ABC

(

A'C' = AC A'B' = AB

ABC

(18) : ABC



(ش 18)

(

)



$$AB \quad AB = AC$$

A

'A

$$.A'B' =$$

$$A'C' = AB$$

$$AC = AB \quad A'C' = AC$$

$$A'B' = AC$$

[AB]

[A'C']

A

A'

:

[AC]

[A'B']

$$\hat{C} = \hat{B}', \quad \hat{B}' = \hat{C}$$

$$\hat{B} = \hat{C} :$$

$$\hat{B} = \hat{C}', \quad \hat{C} = \hat{C}' :$$

.

:

$$\hat{B} \Leftarrow \hat{C} \quad (AC=AB \quad ABC) :$$

:

$$A'B'C'$$

$$\hat{C} \quad \hat{B} : \quad ABC$$

$$\hat{C}' = \hat{C} \quad \hat{B}' = \hat{B}$$

$$\hat{C} \quad B \quad \hat{B}' \quad \hat{C}' \quad (19) \quad ABC$$

$$[BC] \quad [B'C']$$

$$\hat{B} = \hat{C} :$$

[B'C']

A A'

[BA

[C'A'

$$\hat{B} = \hat{C}' :$$

$$\hat{C}' = \hat{C}$$

$$\hat{B}' = \hat{C} :$$

$$\hat{B}' = \hat{B} \quad \hat{C} = \hat{B}$$

. [CA

[A' B'

( )

CA : A' [C'A' [B'A'

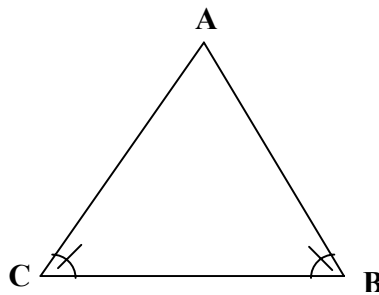
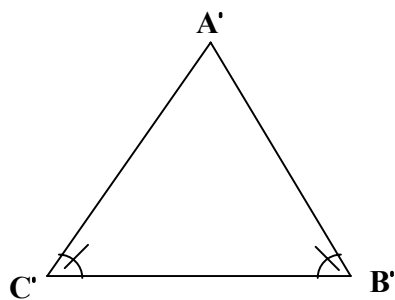
A'C' = AB :

A [BA [

AC = A'B'

AB=AC . AC=A'C'

ABC



(ش 19)

:

$$(AB = AC) < \hat{=} (\hat{B} = \hat{C} \text{ ABC})$$

:

ABC :

:

:

$$\hat{B} = \hat{C}$$

AB=AC

$$\hat{B} = \hat{C}$$

ABC

AB=AC :

⋮

( ) :  
( ) :

⋮

⋮  
 $\widehat{B} = \widehat{C} \iff (AB=AC)$

⋮

$$(AC=AB) \iff \widehat{B} = \widehat{C}$$

⋮

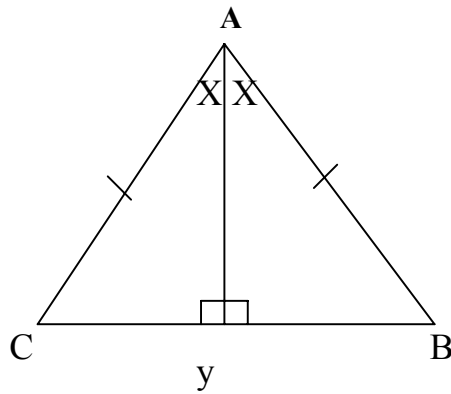
( )  $\widehat{B} = \widehat{C} \iff AB=AC$

$$\widehat{B} = \widehat{C} \iff (AB=AC)$$

⋮

**دراسة منصف زاوية الرأس في المثلث المتساوي الساقين:**

$\triangle ABC$  متساوي الساقين  $AB = AC$  ،  $\angle A$  زاوية الرأس  
 نريد أن نثبت :  $\angle ACy = \angle ABx$  ( 20 ش ) :



(20 ش)

نريد أن نثبت :  $\angle CAy = \angle BAy$  .  
 في  $\triangle ABC$  ،  $\angle CAy = \angle BAy$  [ Ay] .  
 ( )

$$\angle CAy = \angle BAy ، Ay = Ay$$

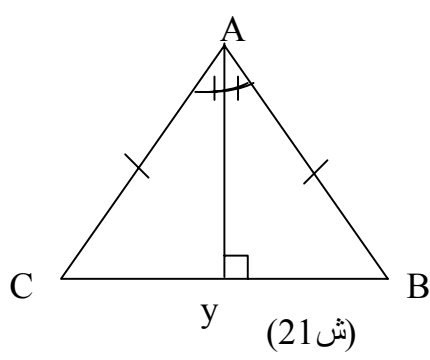
في  $\triangle ABC$  ،  $\angle CAy = \angle BAy$  [ Ay] ،  $Ay = Ay$  [ BC] ،  $\angle CAy = \angle BAy$   
 $\angle CAy = \angle BAy$

.ABC [ Ay ] [ BC ] [ Ay ]  $\hat{\phantom{A}} \text{AyC} :$   
 .[ BC ] (Ay)

[ BC ] [ Ay ] -1  
 ] A (Ay) C B  
 (Ay) .(Ay) [ AC ] [ AB

(Ay) AyC AyB -2

$$\left. \begin{array}{l} [Ay \perp [BC] \\ \mathbf{By} = \mathbf{Cy} \end{array} \right\} \Rightarrow \mathbf{AB} = \mathbf{AC}$$



(21 ) ACy ABy

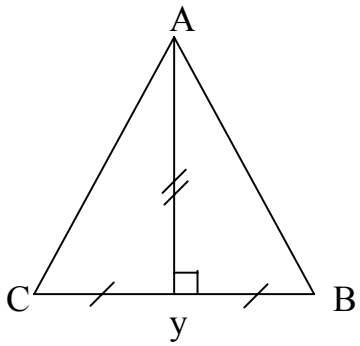
$$\widehat{A_y C} = \widehat{A_y B} \quad [A_y]$$

[ BC ] y Cy = By

( ) :

ABC AB = AC :

:



(ش 22)

$$\left. \begin{array}{l} \widehat{BA_y} = \widehat{CA_y} \\ [A_y \perp [BC] \end{array} \right\} AB = AC$$

(22 ) ACy ABy  
[Ay] :

( )

$$\hat{A} \quad [Ay \quad \hat{BAy} = \hat{CAy}$$

$$\hat{AyC} = \hat{AyB}$$

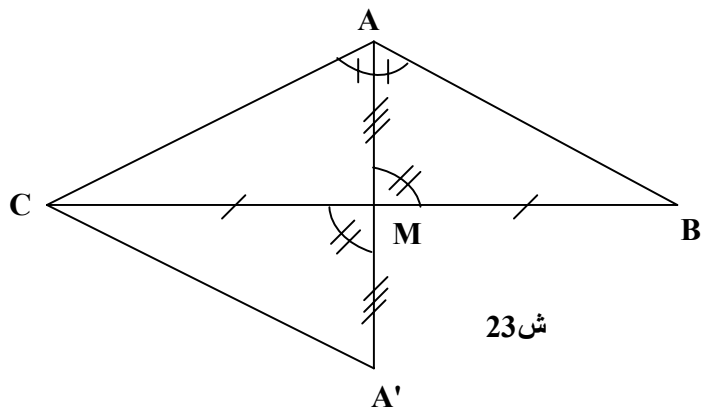
ABC . AB = AC :

( ) :                       
                      
                    

$$\left. \begin{array}{l} \hat{MAB} = \hat{MAC} \\ MB = MC \end{array} \right\} \implies AB = AC$$

.M C [MA] [MA'] [AM

(23 ) .ABM A'CM :



ش 23

( )

MA = . BMA = CMA' [BC] M MB = MC :  
 . MA'

: ( ) :

$$AB = A'C \quad \widehat{MAB} = \widehat{MA'C}$$

$$\widehat{MA'C} = \widehat{MAC} \quad \widehat{MAB} = \widehat{MA'C} \quad \widehat{A} \quad [A M : \quad \widehat{MAC} = \widehat{MAB} :$$

$$AC = A'C :$$

$$ACA'$$

$$AB = A'C :$$

ABC

$$AB = AC :$$

:

: : (

:

.-

-

(

( )





5cm [ BC ]

-1

A'BC ABC :

$$\hat{A'BC} = \hat{ABC} = 50^\circ :$$

$$\hat{BCA'} = \hat{BCA} = 60^\circ$$

ABC A'BC :

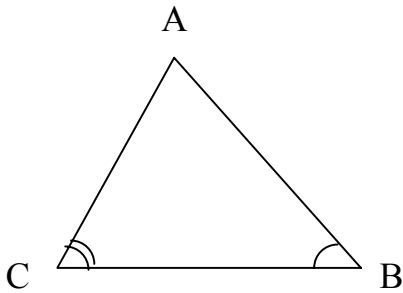
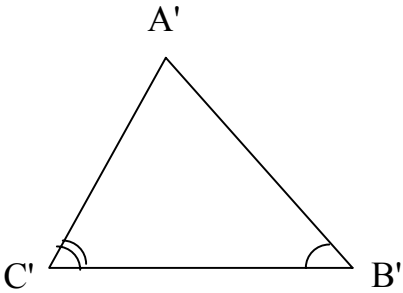
-2



:

A'B'C' ABC :

.(24)



(24 )

$$\left. \begin{array}{l} BC = B'C' \\ \hat{C} = \hat{C}' \\ \hat{B} = \hat{B}' \end{array} \right\} \Rightarrow ABC = C'A'B'$$

: [Redacted]

: [Redacted]

5cm [ AB ] -1

: A'B'C' ABC :

$$\begin{aligned} \hat{A} &= \hat{A}' \\ \hat{B} &= \hat{B}' = 60^\circ \\ BC &= B'C' = 4\text{cm} \end{aligned}$$

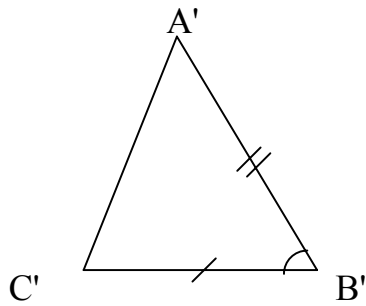
A'B'C' ABC :

.

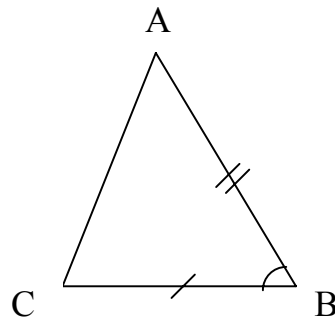
: [Redacted]

(25 )

A'B'C' ABC : 25



شكل 25



$$\left. \begin{aligned} BC &= B'C' \\ \hat{B} &= \hat{B}' \\ BA &= A'B' \end{aligned} \right\} = \triangleright (A'B'C' = ABC)$$

( )

: [redacted]

: ABC A'B'C'

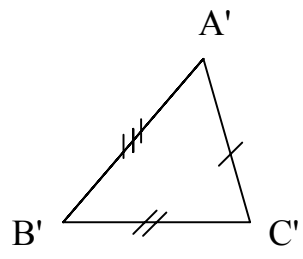
:

: [redacted]

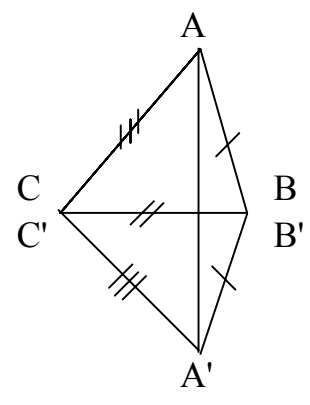
: [redacted]

[ AB ] [ CA ] [ BC ] : -1  
 . 4cm 5 cm 6cm  
 . [ BC ] :  
 . [ BC ] A' A

. A'BC ABC : -2



شکل 26



: 

:

A'B'C'    ABC

$$\left. \begin{array}{l} AB = A'B' \\ AC = A'C' \\ BC = B'C' \end{array} \right\} \equiv (A'B'C' = ABC)$$

:(1) 

A'B'C'    ABC

:(2) 

: A'M'B'    AMB

$$AB = A'B' \quad MB = M'B' \quad AM = A'M' :$$

∧  
M



: [ ]

[ AD ] [ DH ]

ABC

[ AD ]

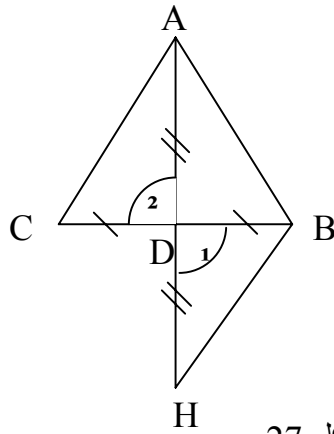
. [ HB ]

[ BH ] [ AC ] :  
BHD

. [ BH ] [ AC ]  
ACD

:

27



شكل 27

DC

[ CB ]

D

[ AD ]

. ( ) DH = AD

.DB =

.  $\hat{D1} = \hat{D2}$  .

$\hat{D1}$   $\hat{D2}$

ACB BHD :

. [ BH ] [ AC ]

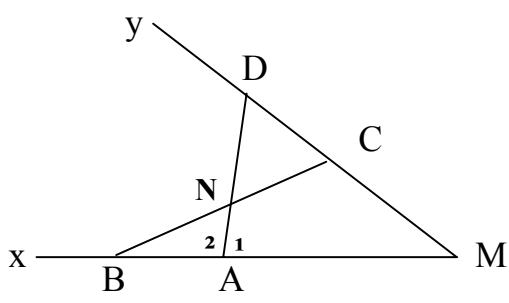
( )



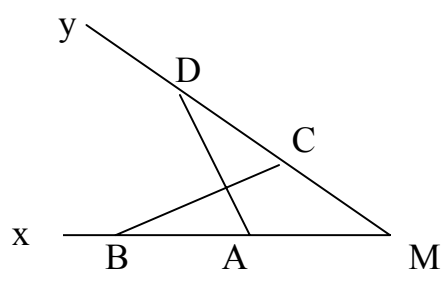
$\widehat{M B} = \widehat{M D}$        $\widehat{M A} = \widehat{M C}$       :       $\widehat{C D}$   
 $\widehat{M C B} = \widehat{M A D}$       (1)  
 ] [ NC ]      (BC) // (AD)      N      (2)  
 . [ NA

$\widehat{x M y}$       [MN]      :      (3)

$\widehat{M}$  ( )  $\widehat{M A} = \widehat{M C}$       27       $\widehat{M C D} = \widehat{M A D}$       (1)  
 . ( )  $\widehat{M D} = \widehat{M B}$



ش 28



ش 27

$\widehat{B1} = \widehat{D1}$  ،  $\widehat{C1} = \widehat{A1}$  ،  $CB = AD$

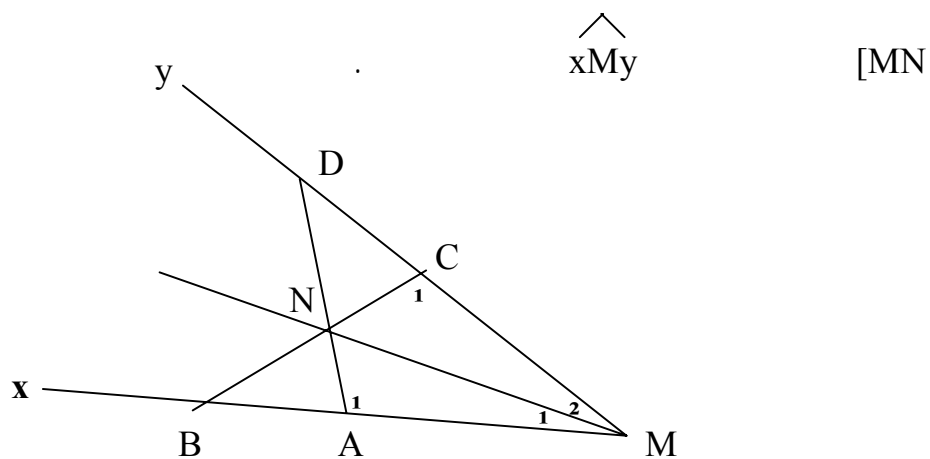
NCD NAB 28 [NC] [NA] (2)

( )  $\widehat{CDN} = \widehat{MBN}$  :  
 : ( )  $MD = MB$   $MC = MA$  :  
 $CD = AB$   $MC - MD = MA - MB$   
 $\widehat{NCD} = \widehat{NAB}$  :  
 .  $NC = NA$  :

$\widehat{NMx}$   $\widehat{xMy}$  [MN] (3)  
 : .29  $\widehat{NMC} = \widehat{NMA}$   $\widehat{NMy}$   
 ( )  $MC = MA$

( )  $\widehat{C} = \widehat{A}$   
 ( )  $NC = NA$

.  $\widehat{NMC} = \widehat{NMA}$  :



شکل 29

( )